

## HYPOTHESIS TEST

for two population means  $\mu_1$  and  $\mu_2$ 

(Always t-test)

They give us some observe data (samples)

two complete lists of data	we enter data in LIST 1 and LIST 2 of GDC		
or	sample means:	$\bar{x}_1$	$\bar{x}_2$
only the statistics	standard deviations:	$s_{x_1}$	$s_{x_2}$
	size of the samples:	$n_1$	$n_2$

We test a CLAIM for the two population means  $\mu_1$  and  $\mu_2$ 

CLAIM $\mu_1 = \mu_2$ against	$\mu_1 \neq \mu_2$		$\mu_1 > \mu_2$ or $\mu_1 < \mu_2$	
	2-tailed test		1-tailed test	
The significance level is usually	10%	5%	1%	
	$\alpha = 0.10$	$\alpha = 0.05$	$\alpha = 0.01$	
(they are clearly stated in the question)				

We state

[null hypothesis]	$H_0: \mu_1 = \mu_2$
[alternative hypothesis]	$H_1: \mu_1 \neq \mu_2$ or $\mu_1 > \mu_2$ or $\mu_1 < \mu_2$

We use GDC to find p-value

Statistics - TEST - t - (2 samples)
if List: statistics $S_x$ , $\bar{x}$ , n are already there
if Var: we enter $S_x$ , $\bar{x}$ , n on ourselves
Execute gives
p-value

Conclusion

IF	THEN
p-value < $\alpha$	we reject $H_0$
otherwise	we do not reject $H_0$